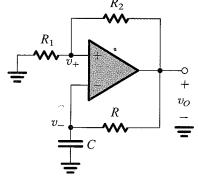
## EE 322 Advanced Electronics, Spring 2013 Exam 2 Wednesday April 3, 2013

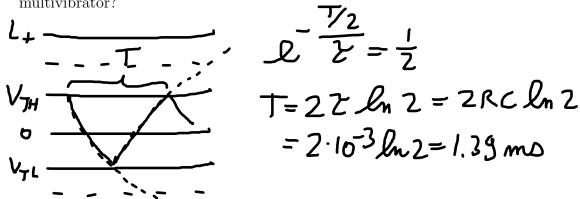
Rules: This is a closed-book exam. You may use only your brain, a calculator and pen/paper. Each numbered question counts equally toward your grade.

Note: The questions are designed to test your conceptual understanding, not your ability to do many pages of math. If you find yourself doing long calculations there is a high probability that you are doing something wrong.

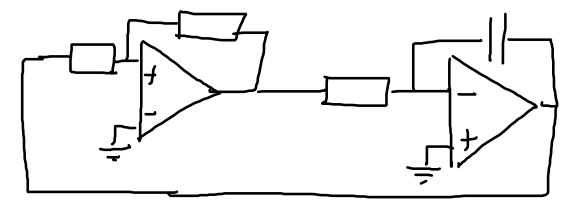
Astable multivibrator



1. If  $R_2 = 2R_1$ , and  $R = 1 \text{ k}\Omega$ , and  $C = 1 \mu\text{F}$ , what is the oscillation period of this astable multivibrator?



2. Replace the RC feedback circuit with a integrator to create a triangle wave generator (does the integrator output feed back to the inverting or non-inverting?)



3. If the output saturation levels are  $L_{+} = -L_{-} = 5 \text{ V}$ , and the integrator input resistance is  $100 \,\mathrm{k}\Omega$ , pick the capacitor of the integrator to produce a period of 1 ms.

$$Q = CV = \frac{1}{2}I = C(V_{TH} - V_{Tl}) = \frac{1}{2}\frac{l_{+}}{R}$$

$$C = \frac{1}{2}\frac{l_{+}}{R}\frac{l_{+}}{V_{TH} - V_{TL}}$$

$$= \frac{10^{-3}}{2}\frac{5}{10^{5}}\frac{l_{+}}{10/2} = 7.5 \text{ m}$$

## Stability

An amplifier has poles at  $10^3$ ,  $10^5$ , and  $10^7\,\mathrm{Hz}$  and DC gain  $10^6$ .

4. To what gain is it stable with 45° phase margin?

5. Specify a dominant pole that will make it stable to a gain of  $10^3$ .

$$\frac{10^{3}H_{3}}{10^{3}} = 1 H_{3}$$

6. What is the bandwidth of both the modified and unmodified amplifier when used with feedback that produces a closed-loop gain of  $10^4$ ?

## Linear oscillator

Consider a phase shift oscillator which consists of three LP filters followed by a inverting amplifier that feeds back in to the string of LP filters. Notice this is different from the textbook's HP filters. For simplicity assume the LP filters are buffered.

7. What will be the phase of each LP filter at oscillation?

8. What will be the oscillation frequency in terms of the LP filter time-constant  $\tau$ ? Be careful the answer is a little different from the one you memorized from the book.

THE TRANSFER FUNCTION IS 
$$T = \frac{1}{3WC} = \frac{1}{1+gWRC}$$
FOR PHASE TO BE -60° PHASE R# JWC

OF DENOMINATION MUST BE 60° =  $\frac{1}{1+gWZ}$ 

$$\omega^2 = T_{om} 60^\circ = \sqrt{3}^\circ$$

$$\omega = \frac{\sqrt{37}}{2}$$