

1. Given the geodetic coordinates of the peak of Mt. Everest as Latitude (L_b) 27deg 59min 16sec N, Longitude (λ_b) 86deg 56min 40sec E, and height (h_b) 8850 meters (derived by GPS in 1999):

- (a) Convert the Latitude and Longitude of Mt. Everest from units of Degrees Minutes Seconds to Decimal Degrees. Decimal Degrees will be our common units for calculations and functions.
- (b) Develop a MATLAB function

```
function [r_e__e_b] = llh2xyz(L_b,lambda_b,h_b)
```

to convert from geodetic curvilinear lat, lon and height to ECEF rectangular x , y and z coordinates (use SI units). Note the notation (i.e., \vec{r}_{eb}^e mathematically = $\mathbf{r}_{e_e_b}$ as variable name) will be adopted in all programs.

- i. Include a printout of your function.
 - ii. Test your llh2xyz function using coordinates of the peak of Mt. Everest. What is \vec{r}_{eb}^e at the peak?
- (c) Develop a MATLAB function

```
function [L_b,lambda_b,h_b] = xyz2llh(r_e__e_b)
```

to convert ECEF x , y , and z coordinates to lat, lon, and height (use SI units). HINT: This should be an iterative transformation (i.e., not closed form).

- i. Include a printout of your function.
 - ii. Test your xyz2llh function with the ECEF coords obtained from part (1b).
- (d) Develop a MATLAB function

```
function [C_e__n] = llh2dcm(L_b, lambda_b, h_b)
```

to compute the orientation (as a rotation/direct cosine matrix) of the navigation frame relative to the ECEF frame given geodetic lat and lon.

- i. Include a printout of your function.
 - ii. Use your function to obtain the orientation of the navigation frame at the peak of Mt Everest relative to the ECEF frame.
 - iii. Given a body is on the peak of Mt Everest facing east, obtain the orientation of the body relative to the ECEF frame.
- (e) What is the acceleration due to gravity at the ellipsoid (i.e., at the ellipsoid $h_b = 0$ below the peak. HINT: This should only be a function of lat—see page 70 of text)?
- (f) What is the magnitude of the centrifugal acceleration ($-\Omega_{ie}^e \Omega_{ie}^e \vec{r}_{eb}^e$) at the ellipsoid and at the peak?

- (g) What is the magnitude of the gravitational attraction at the ellipsoid and at the peak? HINT: See page 72 to compute $\vec{\gamma}_{ib}^e = \vec{\gamma}_{ib}^i |_{\vec{r}_{ib}^i = \vec{r}_{eb}^e}$.

2. Develop a MATLAB function

```
function [g_n_bD] = gravity(L_b,h_b)
```

(see eqn. 2.139 on page 71 of Groves) to approximate the “down” component of the acceleration due to gravity as a function of lat and height (use SI units).

- Include a printout of your function.
- Use this function to compute the acceleration due to gravity at the peak of Mt. Everest.
- What is the difference in m/s^2 between the answer obtained in questions 2(b) and that of 1(e)?
 - Based on this difference, how much less would you weigh at the peak than at the ellipsoid (in lbs)?

3. Develop the following MATLAB functions

- `function [q] = dcm2q(C)`
- `function [C] = q2dcm(q)`
- `function [q] = q1xq2(q1,q2)` for \otimes
- `function [q] = q1starq2(q1,q2)` for \circledast .

Use some test cases to check they function properly, and turn in a printout of the functions as well as results for the chosen test cases.