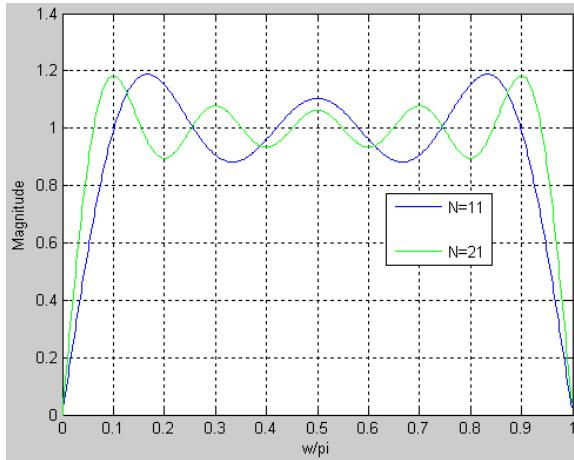


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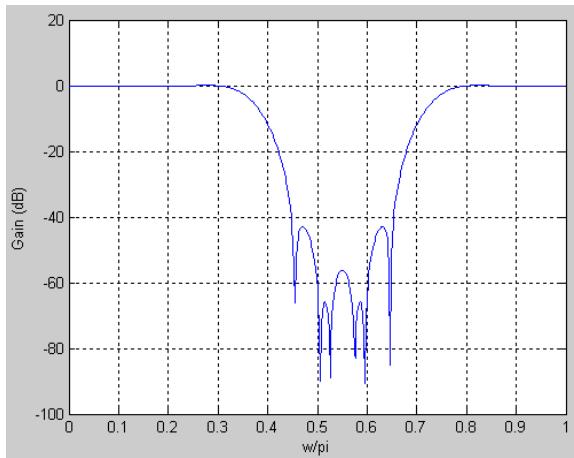
10.5

$$h_{HT}[n] = \begin{cases} h_{HT}[n] = 2/\pi n & n \text{ odd} \\ h_{HT}[n] = 0 & n \text{ even} \end{cases}$$

The plot of the frequency response of the truncated Hilbert Transformer

**10.17** A Hanning window gives the smallest length.

The plot of the magnitude response of the bandstop FIR filter

**10.21 (a)**

$$r[n-D] = \sum_{k=0}^M A_k \sin(kw_0 n + \phi_k - 2\pi k) = r[n]$$

(b)

$$\begin{aligned} y[n] &= s[n] + r[n] - s[n-D] - r[n-D] \\ &= s[n] + r[n] - s[n-D] - r[n] = s[n] - s[n-D] \end{aligned}$$

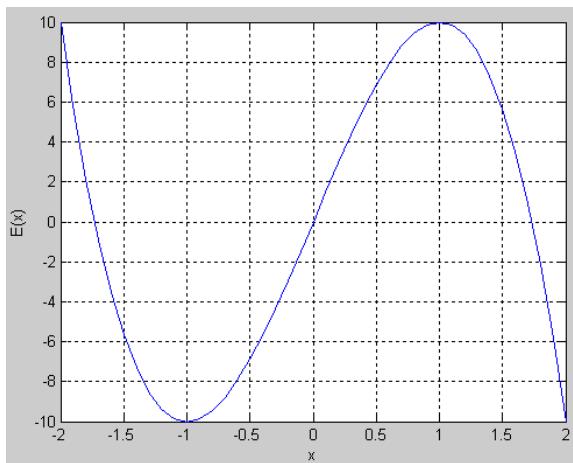
Hence $y[n]$ does not contain any harmonics disturbances

10.38

$$W(w) = \begin{cases} 1.43 & 0 \leq w \leq 0.44\pi \\ 1 & 0.55 \leq w \leq 0.7\pi \\ 5 & 0.82 \leq w \leq \pi \end{cases}$$

M10.7 The solution yields: $a_0=5.5$, $a_1=-7.0$, $a_2=-0.2$, $\epsilon=10.0$. It turns out to be the maximum error at the specific points $[x_1, \dots, x_4]$.

The plot of the error is shown below



10.25 Using firpmord and firpm programs we find that an appropriate filter length is $N=43$.

