$\checkmark$ Due at beginning of next class
$\checkmark$ Start early so you have time to get help!
$\checkmark$ Complete on separate paper
$\checkmark$ Show all work
$\checkmark$ Specify units
$\checkmark$ Circle your answers
$\checkmark$ Staple pages!

1. Send an email to your instructor from your NMT email account. The purpose of this email is to confirm that your email is working, provide the instructor with your email address, and to introduce yourself. Please include the following in your email and send it to tubesing@ee.nmt.edu:
a. Your full name and the name you prefer to be called
b. Your major and minor, or the field/s of study you are considering
c. Where are you from
d. Something interesting about yourself - places you've lived, hobbies, interests, something people wouldn't know about you unless you mentioned it
2. Given below is a schematic containing six circuit elements numbered $U_{1}$ through $U_{6}$. The arrows represent the direction of assumed current flow through each element. The + and - signs label the voltage drops across each element. Ohm's Law $(\mathbf{V}=\mathbf{I} * \mathbf{R})$ relates the voltage drop in the direction of assumed current flow for all the resistors in any circuit. Furthermore, the power delivered to any circuit element is defined by Watts Law $(\mathbf{P}=\mathbf{I} * \mathbf{V})$ where again V is the voltage drop in the direction of assumed current flow (use the Passive Sign Convetion to be sure to get your signs right when calculating power) A negative value for P signifies that the element is delivering power.
a. Using Ohm's Law and Watt's Law, complete the table below. Be sure to show all calculations and label your units.

| Element \# | Voltage | Current | Resistance | Power | Element Type |
| :---: | :---: | :---: | :---: | :---: | :--- |
| $\mathrm{U}_{1}$ | 5 v | 2 A | N/A |  | Voltage source |
| $\mathrm{U}_{2}$ |  | 2 A | $1 \Omega$ | 4 W | Resistor |
| $\mathrm{U}_{3}$ | 3 v |  | $3 \Omega$ |  | Resistor |
| $\mathrm{U}_{4}$ | 3 v |  | N/A | 1.5 W | Mystery component |
| $\mathrm{U}_{5}$ |  | 0.5 A | $2 \Omega$ |  | Resistor |
| $\mathrm{U}_{6}$ | 2 v | 0.5 A |  |  | Resistor |


b. Sum the power values you obtained for elements $U_{2}$ through $U_{6}$. Does this equal the value you calculated for the voltage source (with the opposite sign)? It should! Add them together, if they do not sum to zero then you have one or more errors in the table. As these values are related to each other, a mistake in one value could easily affect another. Check your work and check the power sum until you get it right. Your equation should look like this:

$$
\mathrm{P}_{1}+\mathrm{P}_{2}+\mathrm{P}_{3}+\mathrm{P}_{4}+\mathrm{P}_{5}+\mathrm{P}_{6}=0
$$

The voltage source is delivering power to the circuit, so $\mathrm{P}_{1}$ should be a negative number. The rest of the elements are absorbing power, so their power values should be positive. This is not an arbitrary assignment - the actual value, if calculated properly should be either positive or negative, which tells you whether the component is providing or consuming energy. Because this is a simple circuit we generally assume that a source is providing power and a resistor is consuming it. However, it is not always that easy to tell. Later we will study circuit components where we are not sure if it is providing or consuming power until we make that calculation and look at the sign, so it is very important to learn to do this calculation correctly. The sum of elements absorbing power and the sum of the elements delivering power must together sum to zero. In this case power supplied is equal to power consumed which demonstrates Conservation of Power, which should be true for any circuit.
c. This circuit defines a total of six loops. The first three are fairly obvious $\left(U_{1}+U_{2}+U_{3}, U_{3}+U_{4}\right.$, $\left.\mathrm{U}_{4}+\mathrm{U}_{5}+\mathrm{U}_{6}\right)$. A big loop can be made of the outer elements $\left(\mathrm{U}_{1}+\mathrm{U}_{2}+\mathrm{U}_{5}+\mathrm{U}_{6}\right)$, and two more loops made by combining the left and middle loops $\left(\mathrm{U}_{1}+\mathrm{U}_{2}+\mathrm{U}_{4}\right)$ and the middle and right loops $\left(U_{3}+U_{5}+U_{6}\right)$. Look at the element voltages for each loop and confirm that Kirchoff's Voltage Law (KVL) is true for this circuit. Write an equation for each loop to sum the voltages around it, and see that each loop sums to zero. Remember that we sum voltage drops in the direction of assumed current flow, so there should be some negative values in your equations.

For example, the loop equation defined by $\mathrm{U}_{1}, \mathrm{U}_{2}$, and $\mathrm{U}_{3}$ should look like this:

$$
\begin{gathered}
\mathrm{U}_{1}+\mathrm{U}_{2}+\mathrm{U}_{3}=0 \\
-5+2+3=0 \\
0=0 \\
\mathrm{KVL} \text { is validated. }
\end{gathered}
$$

d. $\mathrm{U}_{3}$ and $\mathrm{U}_{4}$ are elements that are said to be connected in parallel because they are connected to each other at both ends. In this circuit, are there other elements connected in parallel? If so, identify the element combinations that make parallel connections.
e. Looking at the voltage drops in the table, what can be said, in general, about the voltages across parallel circuit elements? Use KVL to prove your theory.
f. $\quad U_{1}$ and $U_{2}$ are elements that are connected in series because they are connected to each other at only one terminal and no other elements connect to that same terminal. Does this circuit contain other elements connected in series? If so, identify the element combinations that make series connections.
g. Looking at the current column of the table, what can be said generally about the current flowing through series elements? Use Kirchoff's Current Law (KCL) to prove your theory (think of the connection point as a node).
3. For the following circuit, $\mathbf{V}_{\mathbf{s}}=\mathbf{2 0} \mathbf{v}, \mathbf{R}_{\mathbf{1}}=\mathbf{5} \Omega, \mathbf{R}_{\mathbf{2}}=\mathbf{1 0} \Omega$

a. Using your knowledge of voltages across parallel elements (based on KVL), determine the value of $V_{1}$ and $V_{2}$.
b. Using your knowledge of Ohm's Law, along with your answers from part a, determine the current through $\mathrm{R}_{1}$ and $\mathrm{R}_{2}$.
c. KCL states that the sum of all currents entering a node (or the sum of the currents leaving a node) must equal zero. An equivalent statement is to say that the sum of all currents entering a node must equal the sum of all currents leaving the node. Apply KCL, and your answers from part $b$, to find $I_{s}$
d. Determine the power absorbed by each of the resistors and the power supplied by the voltage source. Use these numbers to show that power is conserved.
4. In class we drew a schematic diagram for a flashlight. Similarly:
a. Draw and properly label a schematic for a car's headlight circuit, using the symbols for a battery (DC voltage source), switch, and resistors (to represent the lamps). Assume the battery is 12 volts. A correct design ensures that if one lamp burns out the other will stay lit. Think about KVL and KCL to get this right.
b. When the lights are turned on and one headlight is burned out (there is no current flow through the lamp), why does the other headlight still work? Use the tools we have practiced to explain your answer (KVL, KCL, OL).

